

The DESCRIPTION and Use  
OF THE *533*  
*Double* Horizontal-DIAL.  
BEING

Of excellent Use to those that live in  
Remote Towns or Houses, to know the Hour  
of the Day, for it Self is the Rule to set it Self.

*Whereunto is annexed,*

The PERPETUAL ALMANACK,  
WITH

A plain Description of the Use of that, *viz.* how  
to find the Day of the Week, the Day of the  
Month, the Dominical Letter, the Leap-year,  
the Epact, and consequently the Age of the  
Moon, and High-water at *London-Bridge*.

The Print of this Dial and Almanack pasted on  
a Board and fitted with a Cock, is sold at rea-  
sonable price by *Adam Ordway* at the Coffee-  
House in *Aldersgate-street*, in *Maidenhead-  
Court*. Also the Print of a *Double Quadrant*.

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LONDON, Printed by *William Godbid*, in  
the Year 1663.

533. b. 46.

The Description  
OF THE  
*Double-Horizontal*  
BEING

Of excellent Use to those that live in  
Remote Towns or Houses, to know the Hour  
of the Day, for a Self-kale Rule to see a Clock.

*Interpolated in 1662.*

The PERPETUAL ALMANACK,  
WITH

A plain Description of the Use of that, was first  
to find the Day of the Week, the Day of the  
Month, the Dominical Letter, the Leap-year,  
the Epoch, and consequently the Age of the  
Moon, and high water at London-Bridge.

The Paper of this *Perpetual Almanack* pasted on  
a Board and bound in a Cock, is sold at rea-  
sonable price by *John Odling* at the Coffee-  
House in *St. Dunstons* street, in *Middletemple*  
Court Alley the Price of 4 *Double* Quaint.

LONDON: Printed by *William Stansfeld* in  
the Year 1662.

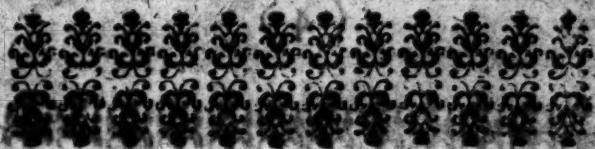
W. day	S	M	T	W	T	F	S
Dom. J.	d	c	b	a	g	f	e
Leap J.	68	80	64	76	60	72	84
	96	8	92	4	88	700	12
Epact.	26	9	12	25	28	11	23
	6	18	22	4	7	20	3



Month.	1	6	3	8	5	7	12
	9	0	11	0	2	10	4
	1	2	3	4	5	6	7
	8	9	10	11	12	13	14
	15	16	17	18	19	20	21
	22	23	24	25	26	27	28
	29	30	31	0	0	0	0

Thirty days hath September, April, June, and November;  
February Twenty eight alone, all the rest Thirty and one.



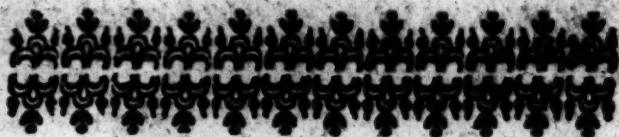


## To the Reader.

Courteous Reader,

**I** Have observed the Genius of many men  
Running out towards the ingenious practice  
of the Mathematicks: But because the De-  
scription of the Rules are laid down in such  
hidden Phrases, it hath disheartned many; but  
in the Description of the Uses of these Ma-  
thematical Projections, I have endeavoured  
to be so plain, that the meanest capacity may  
understand them: But if it hath happened,  
that I have been more brief or hidden then I  
intended, You may command him that is  
willing to serve You according to his weak  
Abilities.

ADAM ORDVVAT.



THE first thing I shall speak of in Reference to my Print of the *Double-Horizontal-Diall*, is to know the day of the Month, by the Tables on each side of the Cock or Gnomon, for the Day of the Month is principally to be known. For by that you may on the *Double-Horizontal-Diall* the Sun not shining, know First the Declination of the Sun; Secondly, the Degree of the Sun in the Ecliptick; Thirdly, the Suns rising and setting; Fourthly, the Length of the day and night; Fifthly, how many Hours or Minutes the Sun riseth or setteth from the East or West point, viz. 6 a Clock, or the Equinoct point; and Sixthly, at what Hour and Minute the Sun will be East or West in this our Latitude, on this or that Day of the Month. And by the Sun shining you may know the hour of the Day to a Minute; and also the Suns Azumith at one and the same time.

First, *How to find the Day of the Month.*

On each side of the Cock are Tables of Columns;

lumes; the first is that on the left hand, and shows in the uppermost Collume the Week-day, that you must call all the Days by, marked in the second Table of Months and Days. Here you must note that because this little Table is for 54 years, and so consequently for ever, therefore something must be remembred, and that is the years between each Leap year. As for Example; over the Leap-year 1660 is the Letter T. 60 signifies 1660. and T signifies *Thursday*, now then if in the year 1660 the Dayes in the right hand Table must be called all of them *Thursday*, then in the Year 1661 they must be called *Friday* consequently; and in the year 1662 they must be called *Saturday*; and the year 1663 *Sunday*, the year 1664 *Monday* and *Tuesday*, because it is Leap-year, as you may see it noted in the Collums of Leap-year, for indeed there is no other years but Leap-years noted there; now you must note, when this changing from *Monday* till *Tuesday* is, why it is always on the 29 day of *February*, so that because *February* hath a day more in the Leap-year then other years, 'tis put at the last day of *February*, which last day is the first day of the Leap-year alway, and the first of *March* is the first day of the years that are not Leap-years: So the first day of the Leap year, namely the 29 of *February* is *Monday*, and the first day of *March* is *Tuesday*, and so it comes to Leap from *Monday* to *Tuesday*, so that in the Leap-year 1664 all the Days must be called *Tuesdays*.

in 1665 called *Wednesdays*, and 1666 *Thursdays*,  
 in 1667 *Friday*, and 1668 the first day of that  
 year, which is always the 29 of *February* as I  
 said before, must be called *Saturday*, and then  
 the first of *March* must be called *Sunday* as  
 in the year 1668. Then if the first day be *Sun-*  
*day*, the second is *Monday*, the third *Tuesday*,  
 the fourth *Wednesday*, the fifth *Thursday*, and  
 so on; this being well considered, the whole  
 Mystery is unfolded, and the day of the Month  
 easily known for ever. As for Example, in this  
 year 1663 all the days in the Right hand Table,  
 under the Months are to be called *Sundays*, be-  
 cause in the year 1660 the first day of *March*  
 was *Thursday*, as you may see by the Column of  
 Leap-years; for over 60 is 4. now then if in  
 the year 1660 the days of the year under the  
 Months on the right hand Table be *Thursdays*,  
 then consequently the year 1661 must be *Fri-*  
*days*, and 1662 they must be *Saturdays*. Thus  
 having found the Week-day, to call the Days by,  
 the day of the Month is easily found; as for Ex-  
 ample, under the first and ninth Month, that  
 is, *March* and *November*, *Sunday* is the first  
 day, the 8, the 15, the 22, the 29. So also under  
 the 6 Month which is *August*, *Saturday* is the  
 2, the 9, the 16, the 23, the 30. So also un-  
 der the 3 and 11 Month, *Saturday* is the 3 day,  
 the 10, the 17, the 24, the 31 of both these  
 Months, namely *May* which is the 3 Month, and  
*January* which is the 11 Month. Thus having  
 found

found all the *Saturdays* in all the Months, 'tis  
 easie to find the rest, for if *Saturday* be the  
 first day of the first Month, which is *March*,  
 then *Sunday* must be the 2, *Munday* the 3, *Tu-*  
*esday* the 4, *Wednesday* the 5, *Thursday* the 6,  
*Friday* the 7, and *Saturday* the 8 as before, and  
*Sunday* the 9, and thus by knowing the day of  
 the Week, you know the day of the Month,  
 and by knowing the day of the Month, you may  
 know the day of the Week; as for example, in  
 this year 1662, I would know what day of the  
 Week *St. Thomas* day falls on, which is alway  
 the 21 of *December*, I look in the Columne of  
 the dayes under the 10 Month, and there I find  
*Saturday* the 6 day, *Saturday* the 13, *Saturday*  
 the 20. now if *Saturday* be the 20. then *St. Tho-*  
*mas* day falls on a *Sunday*; again I would know  
 what day of the Week *Christmas-day* falls on,  
 which is alway on the 25 of *December* or 10  
 Month: I look as before, *Saturday* is the 6,  
 the 13, the 20, the 27, then if *Saturday* be the  
 27, as you may see it is, then is *Friday* the 26,  
 and *Thursday* the 25 or *Christmas-day*; having  
 shown how to find the day of the Month which is  
 the ground work on which dependeth the know-  
 ledge of the Sun's declination, length and short-  
 nesse of the day and night, the Hour and Mi-  
 nute of the Sun rising and setting, the degree of  
 the Sun in the Ecliptick, how many Hours or  
 Minutes the Sun riseth or setteth from the East or  
 West, upon the *Double-Horizontal-Diall*.



21 And First to find the degree of the Sun's Declination.

There is right against the 10 day of *March* and the 13 of *September*, a large pricked Line which is called the Equinoctial, and marked on the 12 a Clock Line toward the Center, with 5, 10, 15, 20 degrees of North Declination, and toward the Circumference with 5, 10, 15, 20, unto 23  $\frac{1}{2}$  of South Declination, and ends with the parallel of the 11 of *December*, these 23 degrees and a half are signified by 23 circular Lines, so the Line marked with 20, begins about the 14 of *July*, and ends about the 10 of *May*, showing that the Sun is 20 degrees from the Equinoctial, the 10 of *May*, and the 14 of *July*, and it is called North Declination; that Line of the 10 degree of North Declination, beginneth about the 17 of *August*, and goeth round, and endeth about the 5 day of *April*. But about the 10 of *March* there begins the Line of the Equinoctial, and follow it round, and it ends about the 13 of *September*. When the Sun is in this Line, the day and night are said to be of equal length over all the World, the Sun those two dayes hath no declination, as you may see it marked on the 12 a Clock or Meridian Line. Then again the 25 day of *September* the Sun hath 5 degrees of declination, that Line followed, ends about the 25 day of *February*; this is called South declination, the Horizon meeting with these Lines of declination, and cutting them





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them shorter and shorter, till the 1<sup>st</sup> of *Decem-*  
*ber*, where the Declination is 33 degrees and  
30 Minutes of South Declination from the Equi-  
noctial, and thus as in a Glasse you may behold  
the Suns daily motion through the 12 Signs of  
Heaven, which is the next thing I will treat of.

Secondly, To find the Sign and Degree the Sun  
is in the Ecliptick.

70 The Ecliptick Lines are drawn from the two Equinoſtial points  $\gamma$  and  $\epsilon$  and the middle of them touch on the two Tropicks  $\mathfrak{S}$  and  $\mathfrak{Q}$ , if you begin at the 10 day of *March*, and follow the inward circle toward the Cock, you will find the character of  $\gamma$   $\delta$   $\pi$   $\mathfrak{S}$   $\Omega$   $\mathfrak{X}$  and  $\epsilon$ , begins about the 13 of *September*, and follow that and you find as is ſaid before  $\epsilon$   $\mu$   $\tau$   $\mathfrak{C}$   $\mathfrak{X}$  now the Line of Declination being followed with a pin from the day of the Month until you firſt touch the Ecliptick Line, and there you may perceive the degree the Sun is in on that day. As for example; the 30 day of *Auguſt* the Declination of the Sun is 5 degrees North, follow that Line and it cuts the 17 degree of  $\mathfrak{X}$ ; and ſo of the reſt.

190 Thirdly, To know the Hour and Minute of Sun  
Rising and Setting.

There are Hour-lines that cross the parallels of Declination, called parallels of the Meridian or 12 a Clock Line, these are marked with 4 & 5 & 5, 6 & 6, 7 & 7, 8 & 8, so on the other side marked with 8, 7 & 7, 6 & 6, 5 & 5, 4 & 4.

by

by these Hour Lines you may see at what Hour and Minute the Sun riseth and setteth; as for example, the 12 day of *September* there is the Hour-line of 6, showing the Sun riseth at 6 of the Clock, follow the Equinoctial Line, and it ends about the 10 day of *March*, showing the Sun sets at 6 of the Clock; for there also is the Hour-Line of 6. A second Example, the 29 day of *August* the Sun riseth 30 Minutes or half an hour after 5 a Clock in the Morning; follow the parallel of declination, for that day which is about 5 degrees and 30 Minutes North, and that brings you to the 25 day of *March*, and shows the Sun setteth at 6 a Clock & 30 Minutes.

Fourthly, *To know the length of the Day and Night*;

Double the hour and minute of Sun setting, and that is the length of the day, and double the hour and minute of Sun rising and that is the length of the night. As for Example; The 29 day of *August* the Sun setteth at 6 a Clock, and 30 minute, the double of that, viz. 6:30 and 6:30 maketh 12 hours for the length of the day: then double the hour and minute of Sun rising, that is 5:30 and 5:30 or add them together, and it makes the length of the night, viz. eleven hours long.

Fifthly, *To know how many hours and minutes the Sun riseth and setteth from the East and West Point, or 6 a Clock*;

The East and West point is V and vii, or the point

point of 6 a Clock, and begins and ends on the Equinoctial Line, now when the Sun hath his greatest declination either North or South, which is 23 and 1/2, then the Sun Risetht two Hours and 20 Minutes from the East, and Setteth two Hours and 20 Minutes from the West. Now on the second day of *August* the Declination is 15 degrees, the Sun riseth at 4 a Clock, and 40 Minutes, that is, 12 Hour and 120 Minutes from the East; So also the 24 of *October* the Sun Risetht from the East 1 Hour and 20 Minutes. *Sixthly*, To know which is the Rising of the Sun from the Setting of the Sun. *Firstly* you must note that the time of the day on which the Sun riseth at one time of the year, is the Suns setting at the other time of the year: now to know the rising from the setting alway, that is, the Suns Rising that is joynd to the day of the Month, and that is the Sun setting at the other end of the Line. As for example; the 10 day of *March* the Sun riseth at 6 of the Clock, follow that Equinoctial Line, and it brings you to the 13 of *September*, and shows the Sun sets at 6 a Clock, now also on the 13 of *September*, the Sun riseth at 6 of the Clock, follow the line of declination; or more properly of no declination, to wit, the Equinoctial Line, and it ends at the 10 day of *March*, which shows the setting of the Sun to be 6 of the Clock the 13 of *September*, so that you see that which is the Suns rising at one time of the year, is the Sun setting at another.

Se-

Seventhly, *To know at what Hour or Minute the Sun is East or West.*

There is a little Circle placed in the Center of this Diall, marked with W E. Lay a strait Ruler strait along this Line of East and West, and where it cuts in the parallel of Declination, observe the Hour and Minute there, for that is the Hour and Minute of the Suns being in the East or West point. As for Example; the 13 day of July the parallel for that day is 20. if you lay a Ruler or Thred cross the Dial from 6 to 6, and follow the parallel of declination, and it cuts the Ruler about 10 Minutes after 7 of the Clock in the Morning, and 10 Minutes before 5 in the Afternoon; and then is the Sun due East or West, &c.

*Now follow the Uses of the Double-Horizontal-Diall when the Sun shineth, and first to know the Hour of the Day.*

Let the Dial be set in the Window or some other level place where the Sun shineth, there will be two shadows, the one from the out uppermost part of the Cock, the other from the inward upright part of the Cock; this inward upright part, casteth a shadow upon those Hour Lines which cross the Parallels of Declination, the other out-side shadow casteth on the great out Circle of Hours, and it is divided into Minutes; the inward Hour into parallels of 10 Minutes crossing the parallels of Declination. Now observe the Rule to set the



the Dial Right, as you did before to know when the Sun will be true East and West, you minded the parallel of the day of the day of the Month cutting the Ruler: but in this you must mind the parallel of the day of the Month, cutting the inward upright shadow, as suppose upon 9 of the Clock the 13 of *September*; it must shewe the same on the out Circle, if it stand right, that is to say, it must show the Hour and Minute in both places alike when it stands right, which you may quickly make it do, by moving it this or that way to make the Hour lines alike; when the Dial is set right, that it shows the Hour and Minute alike in both places, then that is the Exact hour of the Day, or then stands the Dial right, having the Hour to find the Azumith, the under upright shadow shows you the Azumith on the little Circle; as for Example, suppose the 30 of *September* the Sun shineth on 6 a Clock, on both the Hour Lines, then will the shadow cut in the little Circle about the 90 degree, showing the Sun is 90 degrees or East from the South; again the 17 day of *July* at 7 a Clock in the morning, the Suns Azumith is 90 degrees from the South.

*Now follow the rest of the uses belonging to the Perpetual-Almanack; as first to know the Epact, and consequently the Age of the D and High-water at any Port.*

The Epact is a number of eleven to be added every year to make the common Lunar year equal

quall with the solar, which is as some write 365  
 day 5 hours, 48 seconds. So that if this num-  
 ber of 11 be added still, every first day of *March*  
 to that which was the Epact before, it will give  
 the Age of, the  $\Delta$  which Age nor Epact ever ex-  
 ceedeth 30 days, but they must be cast away,  
 and the Remain is the Epact and Age, now to  
 find the Epact by the left hand Table, there is  
 two Collums of Leap-years and two Collums of  
 Epact, the uppermost of the one answering to the  
 uppermost of the other. In the year 1660, on the  
 first day of *March*, the Epact you see was 28;  
 now then in 1661, ad 11 more to this 28, &c that  
 makes 39 but because the Epact never exceeds  
 30, therefore you must cast away 30 and the re-  
 main is 9, for the Epact in the year 1661: so must  
 you do every year, except the Epact be 29, then  
 the prime is 19, and both of them must begin a-  
 gain, the prime must be 1, and the Epact 11, which  
 will happen in the years of Our Lord 1671,  
 1690, & 1709, every 19 years; to know the E-  
 pact in the year 1662, look in the Collums of  
 the Epact in the year 1660, it was 28, and be-  
 cause 'tis 2 years since, I must add 2 elevens, or  
 22 to 28, that makes 50, cast out 30, and the re-  
 mainder is the Epact, that is 20. In 1663 it will  
 be 1 by adding 11, and casting away 30, then in  
 1664 you have it set down because 'tis Leap-year  
 12. So also as 12 being in the upper Collum of  
 Epacts, is the Epact for the year 64, or 1664,  
 which is the upper Collum of Leap-years, so is  
 the



the Epact 22 the under Collum, to signifie the Epact in the year 92 or 1692. thus by having the Epact, you have the age of the D for the first day of *March*; as for example, the Epact in the year 1662 was 20, so was the D 20 days old on the first day of *March*; now if you would know the D age any other time, you must add to the Epact the number of the Month, and day of the Month, and that is the age of the D. As for example, on the 8 day of *February* 1661 Epact 9, the Month from *March* 12, the day of the Month 8, gives 29, now because 'tis *February* cast away but 29, and it shows 'tis new Moon on that day 7 days, and 9 hours added to the new D makes the first quarter, 15 days after is full D, Example in 1662 Epact 30, 00 day of *April*, or 31 *March*, the Month from *March* is 2. you will find the D is 22 days old; now if you would know when 'tis High-water at *London-bridge*, alway remember when the D is no days, and when 'tis 15 days old, then 'tis high-water at *Londonbridge* at 3 a clock, or on the point of 6 then also 'tis high-water at *London-bridge*. Thus you may see that every 15 days motion of the Moon gives 12 hours, 5 days 8 hours, 2 days and a half gives 2 hours, 1 day & a quarter gives 1 hour more in alteration. As for example, if it be new or full D to day at 3 a clock in the morning, 5 days hence when the D is 5 days old, it will be high-water at 7 a Clock in the morning; the Exact motion of the Tides was never yet found out, nor is this very true, for the

Tides will vary according to the Blustriousness & Scituation of the winds; for my part I am affected with the rarity of the invention of him that first found a Rule to be so brief, and of such continuation, and so near the truth, that it is intelligible enough for those that have but common ordinary use, so might I say concerning the *Double-Horizontall-Diall*, but for my part I will not find fault, till I can make a more certain Rule.

*How to find out the Dominical Letter, or Lords Day Letter, or Sunday Letter.*

I know very little use of this Sunday Letter, but only that it is a great and a large Register for many thousands of years, the reason is, because the cycle of the  $\odot$ , the Golden number, the Epact, and Dominical Letter, and prime, are not all twice a like in many thousands of years: But to find the Dominical Letter there is a Collum of Dominical Letters, & they are all Dominical Letters, for those years under inserted: as for example, over the year 1660 the Dominical Letter is G, then you must remember to say in 1661 F, in 1662 E, in 1663 D, in 1664 which is Leap-year C, from *January* till the 25 day of *February*, and then as you may see under the year 1664, there is B for the Sunday Letter, so they succeed one another backward as you see g, f, e, d, c, b, a. But here you must note, the Dominical Letter and Prime doth change the first day of *January*, although the Epact change not until the first day of *March*.

FINIS.



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